

# *Agent-Based Modeling (Master SIED)*

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# Unit 3

## Creating Agent-Based Models

# Four Characteristics of ABM

- 1) Simple rules generate complex phenomena
- 2) Randomness at the level of the individual can result in nearly deterministic population-level behavior
- 3) Complex patterns can “self-organize” without any central leader
- 4) Different models emphasize different aspects of the world

# The “El Farol” Problem



- A well-known problem in Game Theory
- 100 people in Santa Fe, NM like Irish Music
- Every Thursday night, an Irish band plays at El Farol (The Lantern)
- However, the bar is quite small: if more than 60 people are at the bar, then it is crowded and no one has fun
- The newspaper publishes the attendance each week
- On the basis of the past  $n$  weeks how do individuals decide whether or not to go to the bar?
- What happens if everyone uses the same strategy?

# Brian Arthur's Experiment

Brian Arthur (1994) postulated this problem and proposed a solution:

- Individual have a bag of strategies to predict attendance such as:
  - Last week's attendance times two
  - Two weeks ago's attendance minus last week's
- Each agent determines which strategy would have worked the best had they used it the last five weeks
- They then use that strategy to predict what this week's attendance will be and decide whether to go to the bar on that basis

# The Question of the El Farol Bar Problem

- Most humans do not act rationally, they act in a boundedly rational way
- Most humans do not reason deductively from first principles, they reason inductively from past experience
- We want to investigate what happens if we assume agents participating in this “game” act this way

# A Mesa Model

- Each agent has:
  - a memory of  $t$  weeks
  - a set of  $n$  strategies to predict attendance of the form:
$$x_{t+1} = a_t x_t + a_{t-1} x_{t-1} + \dots + a_0$$
  - So their strategy is defined by the  $a$ 's
- The agent determines the total error between predicted and actual attendance of each of their strategies given their memory
- The agent uses the least erring strategy this timestep to predict the attendance:  $\leq 60$ , they go;  $> 60$ , they do not.

# What is Success?

- The original model illustrates how many agents make it to the bar and whether or not the bar is crowded
- What if we want to know which agents are doing better at attending the bar than other agents?
- Add a reward:
  - Initialize reward at initialization
  - An agent gets rewarded for going to the bar when it is not crowded (reward++)

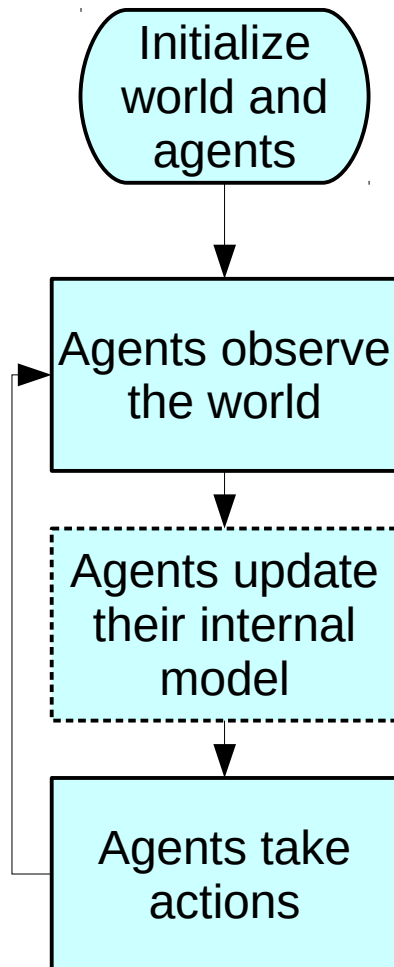


# What to Observe/Report?

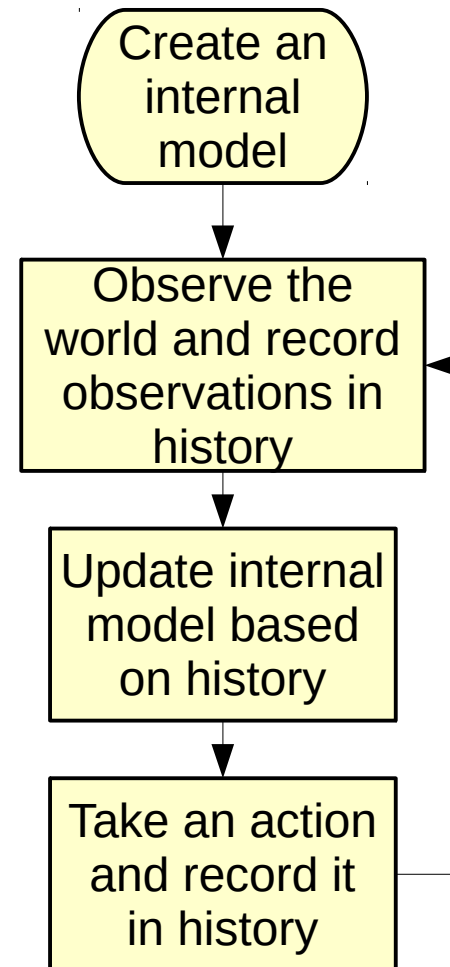
- Plot the attendance (as a function of time)
- Plot a histogram of attendance (distribution)
- Plot a distribution of reward

# Machine Learning and ABM

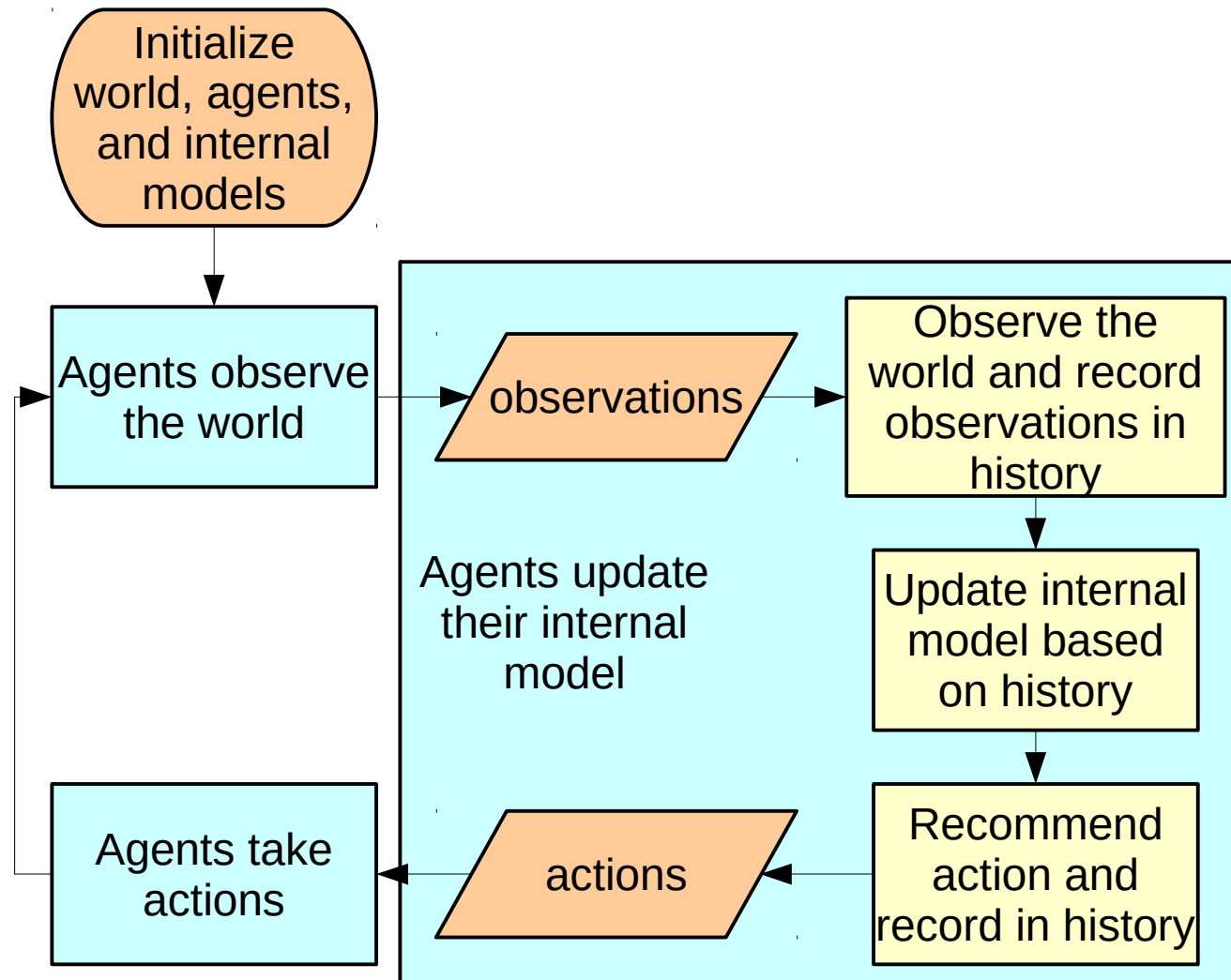
The ABM Processing Loop



The ML Processing Loop



# Machine Learning and ABM



# Revisiting the El Farol Bar Problem

- Arthur claimed that if a GA was used instead of a bag of strategies the result would be the same
- Fogel et al. (1999) took up Arthur's challenge and used a GA
  - They showed that the average attendance was 57
  - They allowed each individual to run a GA for 25 generations with 100 different strategies
- Random attendance is 50
- Arthur's attendance is 60
- Fogel et al. achieved an attendance of 57
- Perfectly rational agents – 50?

# The Next Step

- Use an optimization method to optimize the strategy
- Try different methods and parameters:
  - Simple linear regression
  - Quadratic programming / Quasi-Newton
  - Simulated annealing
  - Genetic algorithms
  - Any other of your choice...
- Run the Model for 500 ticks
- Average over 30 runs
- Measure Mean Attendance per Week for last 100 weeks