

Algorithmes Évolutionnaires *(M2 MIAGE IA²)*

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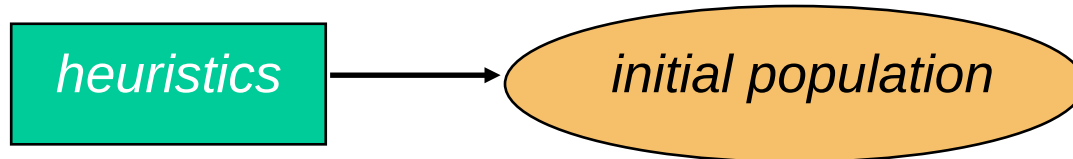


Séance 5

Hybridation

Hybridization

1) Seed the population with solutions provided by some heuristics



2) Use local optimization algorithms as genetic operators
(Lamarckian mutation)

3) Encode parameters of a heuristics



Seeding the Initial Population

- Given an available heuristics for the problem
- Two cases:
 - heuristics gives one solution
 - heuristics gives different solution when restarted

Case 1: One Solution

- Insert solution in the initial population
 - Fill the population with
 - random solutions (not a good idea)
 - exact copies of solution (not so good)
 - perturbations of solution (ok)
 - perturbations of solution and random solutions (ok)
-

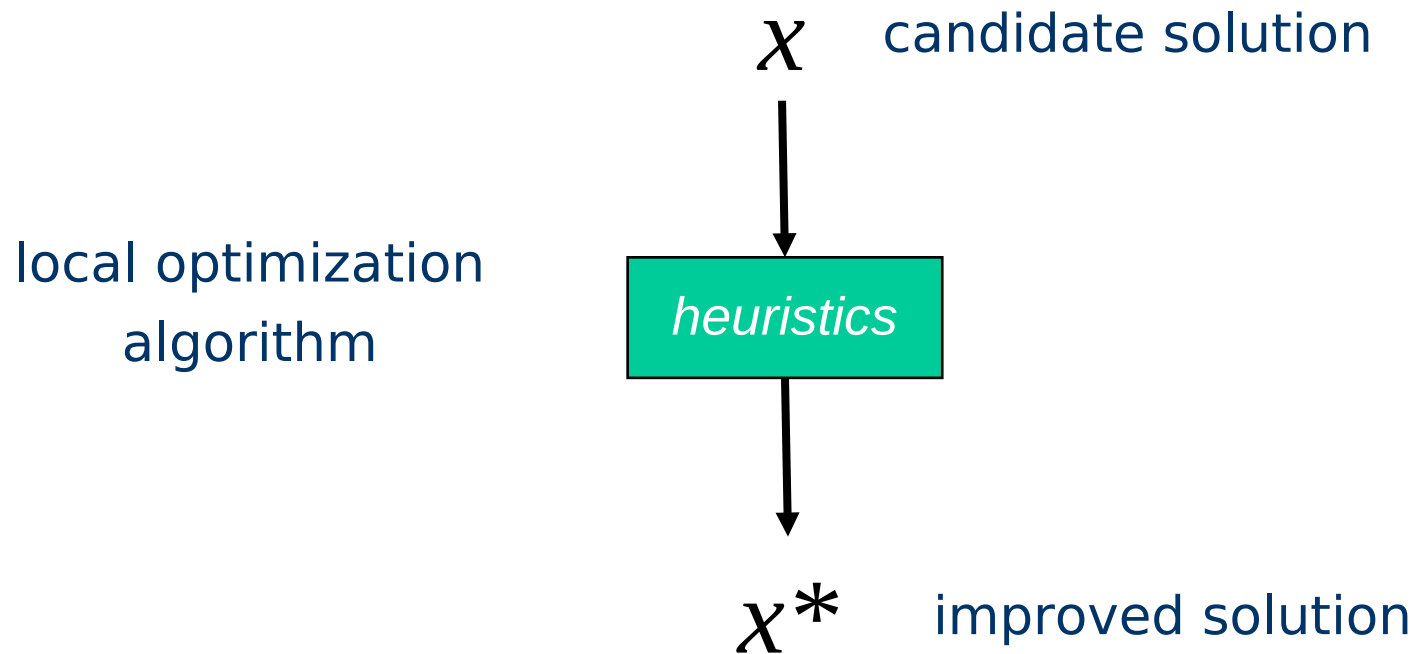
Case 2: Many Solutions

- Run the heuristics as many times as needed to fill the initial population

Discussion

- Win-win situation
- Results cannot be worse than the available heuristics
- Often they will be much better
- Use exploration capabilities of EAs

Using Local Search Algorithms



Using Local Search Algorithms

- Examples:
 - gradient descent methods
 - quasi-Newton methods (e.g., BFGS, Conjugate Gradient)
 - simulated annealing (with a limit on the number of moves)
 - etc.

“Memetic” Algorithms

- Combination of local search and standard Eas
- “Meme” is a cultural gene
- Use an improvement operator, based on local search methods
- Use standard blind mutation as well

Memetic Algorithms Pseudocode

```
MA () {  
    Initialize (parents);  
    while (gen <= MAX_GENERATIONS) {  
        Evaluate (parents);  
        LocalSearch (parents);  
        mating_pool = Selection (parents);  
        offspring = Crossover (mating_pool);  
        Mutation (offspring);  
        parents = Replacement (offspring, mating_pool);  
        gen = gen + 1;  
    }  
}
```

Sample Local Search Algorithm

```
moves = 0;
while(moves < MV) {
    old = ind;
    Mutate(ind); moves++;
     $\Delta$  = Fitness(old) - Fitness(ind);
    if( $\Delta > 0$ ) // decline of solution quality
        if(Random(0, 1) >  $e^{-k\Delta/T}$ ) { // with probability  $1 - e^{-k\Delta/T}$ 
            ind = old; // reject worse solution
            return;
        }
}
```

Discussion

- Local search → new genetic operator
- No parallel in the natural genetic metaphor
- Attractive parallel in the cultural metaphor: “memes”
- Lamarckian mutation

Heuristics as Decoders

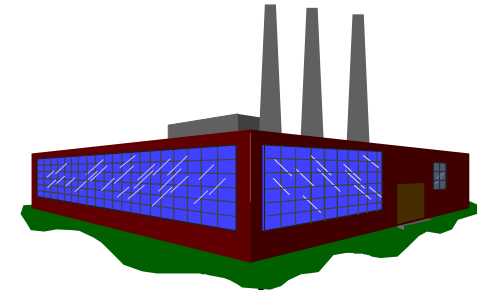
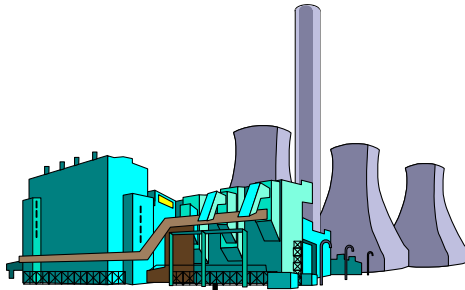
- Basic assumption: parameterized heuristics
- Indirect representation:
 - encode heuristics parameters
 - the heuristics constructs the corresponding solution

Sample Application: Unit Commitment

- Multiobjective optimization problem: cost VS emission
- Many linear and non-linear constraints
- Traditionally approached with dynamic programming

- Hybrid evolutionary/knowledge-based approach
- A flexible decision support system for planners
- Solution time increases linearly with the problem size

The Unit Commitment Problem

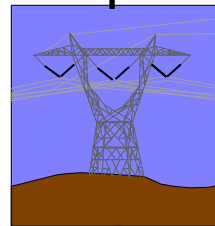


$$z_E = \sum_{i=1}^n E_i(P_i)$$

$$E_i(P_i) = \sum_{j=1}^m E_{ij}(P_i)$$

$$E_{ij}(P_i) = \alpha_{ij} + \beta_{ij}P_i + \gamma_{ij}P_i^2$$

Emissions

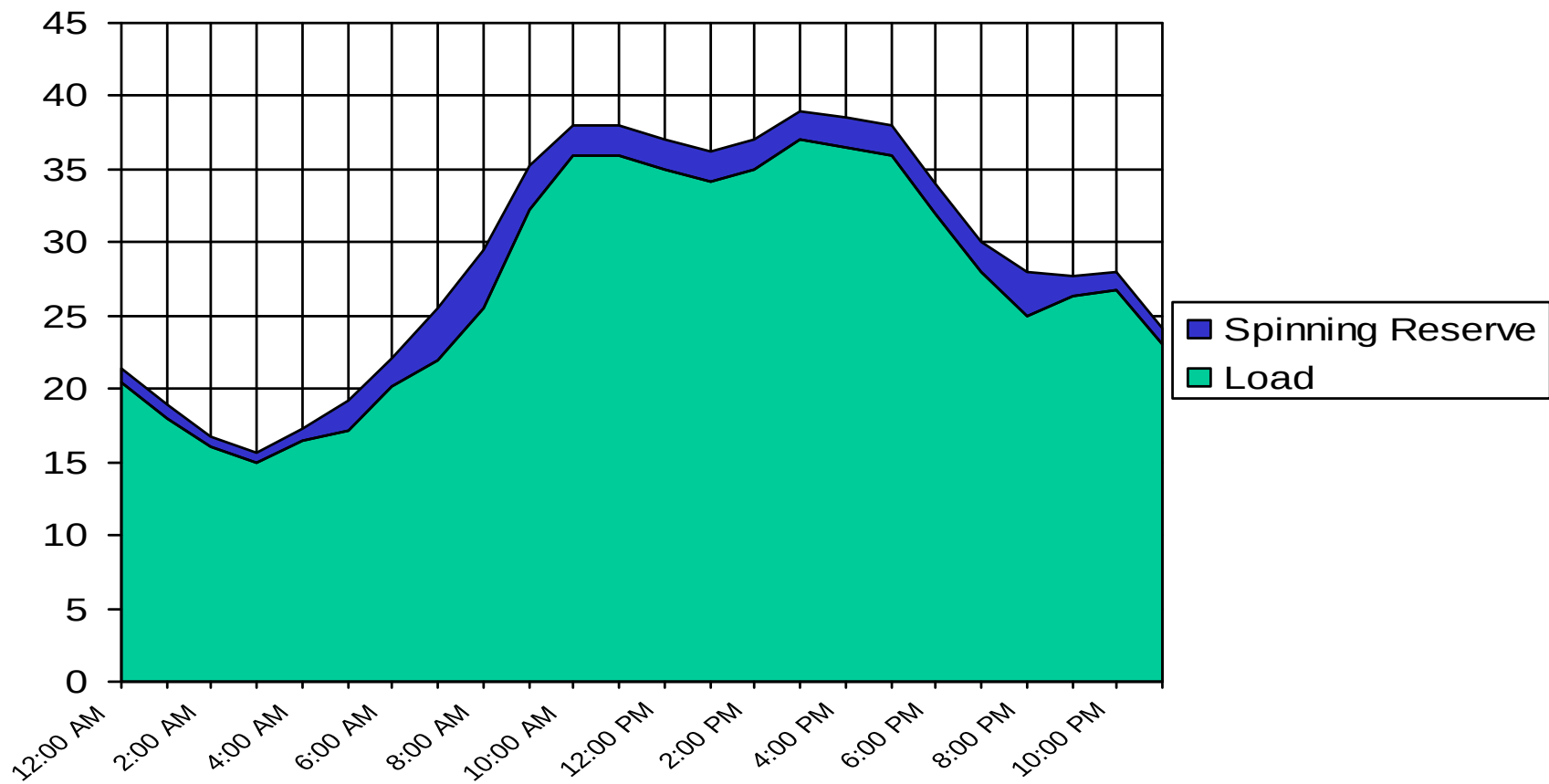


$$z_{\$} = \sum_{i=1}^n (C_i(P_i) + SU_i + SD_i + HS_i)$$

$$C_i(P_i) = a_i + b_iP_i + c_iP_i^2$$

Cost

Predicted Load Curve



Unit Commitment: Constraints

















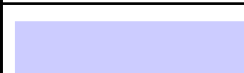
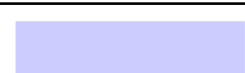
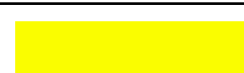
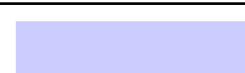
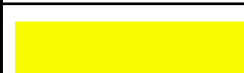
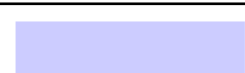
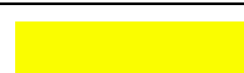
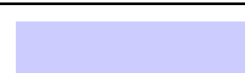
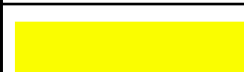
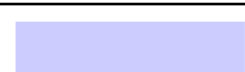
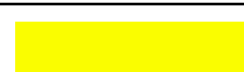
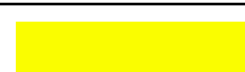

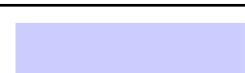
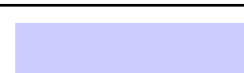








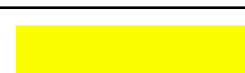
- Power balance requirement
- Spinning reserve requirement
- Unit maximum and minimum output limits
- Unit minimum up and down times
- Power rate limits
- Unit initial conditions
- Unit status restrictions
- Plant crew constraints
- ...

Unit Commitment: Encoding

Unit 1	Unit 2	Unit 3	Unit 4	Time
1.0	0.8	0.2	0.15	00:00
0.9	1.0	0.2	1.0	01:00
0.0	1.0	0.8	0.2	02:00
0.0	0.5	1.0	0.8	03:00
1.0	0.65	0.8	1.0	04:00
0.8	0.8	0.25	1.0	05:00
1.0	0.4	0.2	1.0	06:00
0.0	0.0	1.0	0.75	07:00
0.5	1.0	1.0	0.8	08:00
1.0	0.5	0.0	0.0	09:00

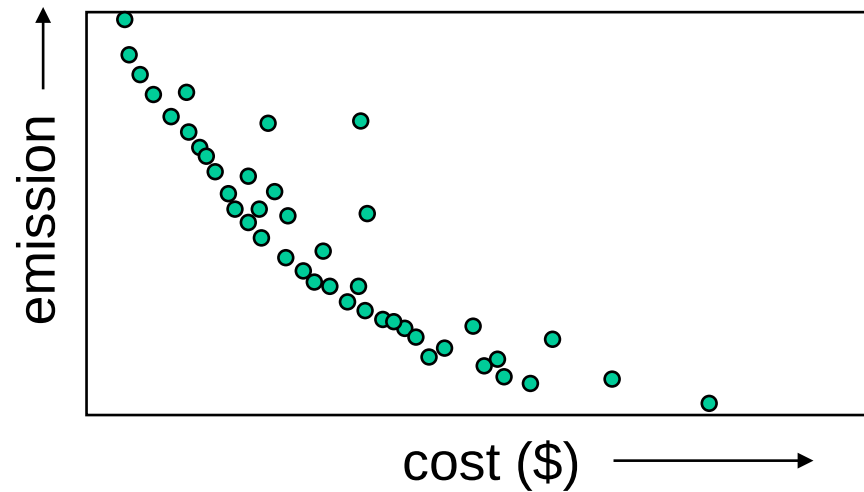


Unit Commitment: Solution

Unit 1	Unit 2	Unit 3	Unit 4	Time
				00:00
				01:00
				02:00
				03:00
				04:00
				05:00
				06:00
				07:00
				08:00
				09:00



Unit Commitment: Selection



competitive selection:

\$507,762	↔	\$516,511
213,489 £		60,080 £

Unit Commitment References

- D. Srinivasan, A. Tettamanzi. “An Integrated Framework for Devising Optimum Generation Schedules”. In *Proceedings of the 1995 IEEE International Conference on Evolutionary Computing (ICEC '95)*, vol. 1, pp. 1-4.
- D. Srinivasan, A. Tettamanzi. *A Heuristic-Guided Evolutionary Approach to Multiobjective Generation Scheduling*. IEE Proceedings Part C - Generation, Transmission, and Distribution, 143(6):553-559, November 1996.
- D. Srinivasan, A. Tettamanzi. *An Evolutionary Algorithm for Evaluation of Emission Compliance Options in View of the Clean Air Act Amendments*. IEEE Transactions on Power Systems, 12(1):336-341, February 1997.

